

Money in the RBC Model

- How can we build a macro model without money?
 - “Classical dichotomy” says that real side operates independently of monetary forces: “money is a veil”
- How would we add money?
 - Need a reason to hold it
 - Balancing cost of making transactions with less money against forgone interest
- Definition of money
 - Means of payment or medium of exchange
 - M1 = narrow money (checking accounts and currency)
 - M2 = broader money (savings accounts, small CDs, etc.)
- Supply of money
 - Central bank controls issue of “monetary base”
 - Ratio of money supply to monetary base is money multiplier that depends on public’s propensity to hold currency and banks’ propensity to hold reserves
 - Central bank controls B and thus attempts to control M
- Demand for money
 - Balancing benefits (cheaper transactions) against costs (forgone interest)
 - $M^d = P \cdot L(Y, i, TC) = PY^\eta i^\varepsilon TC^\xi$
- Monetary equilibrium in a growth model
 - Suppose that Y grows at $n + g$
 - Central bank increases money supply at rate μ
 - In equilibrium: $\mu = \frac{\dot{M}^s}{M^s} = \frac{\dot{M}^d}{M^d} = \frac{\dot{P}}{P} + \eta \frac{\dot{Y}}{Y} + \varepsilon \frac{\dot{i}}{i} + \xi \frac{\dot{TC}}{TC}$
 - In steady state:
 - $\frac{\dot{P}}{P} = \pi$
 - $\frac{\dot{Y}}{Y} = n + g$
 - i and TC are unchanging
 - $\mu = \pi + \eta(g + n)$
 - Some evidence that $\eta = 1$, so $\pi = \mu - (n + g)$
 - If growth of money supply exceeds growth of money demand, inflation makes up the difference
 - Steady-state properties:
 - $\frac{\partial \pi}{\partial \mu} = 1$

