This problem uses the pizza4.dta data set that was used in an earlier problem. Refer to that problem for the details of the data.

Our regression models pizza expenditures as a function of income and age. We want to test the composite hypothesis that all of the regression coefficients (including the constant) are the same for females as for males.

A regression for the full sample yields:

. reg pizza income age

Source	ss	df	MS		Number of obs F(2, 37)	
Model Residual	312015.179 635636.721	2 1560	007.589 79.3708		Prob > F R-squared Adj R-squared	= 0.0006 = 0.3293
Total	947651.9	39 2429	98.7667		Root MSE	= 131.07
pizza	Coef.	Std. Err.			[95% Conf.	Interval]
income	1.832479	.4643007	3.95	0.000	.8917163	2.773242
age	-7.575556	2.316988	-3.27	0.002	-12.27022	-2.880893
_cons	342.8848	72.34342	4.74	0.000	196.3031	489.4665

Separate regressions for the male and female sub-samples yield:

. reg pizza income age if female==0

Source	SS	df	MS		Number of obs F(2, 16)	= 19 = 17.53
Model Residual	267771.904 122227.886	2 133 16 763	3885.952 39.24285		Prob > F R-squared	= 0.0001 = 0.6866
Total			1666.655		Adj R-squared Root MSE	= 0.6474
pizza		Std. Err		P> t	[95% Conf.	-
income age _cons	2.748363 -9.363168	.5439122 1.974368 65.91154	5.05 -4.74 6.85	0.000	1.595321 -13.54864 311.6342	3.901406 -5.177694 591.0867

. reg pizza income age if female==1

Source	SS	df	MS		Number of obs	
Model Residual	122238.609	2 4900 18 6791	06.3143		F(2, 18) Prob > F R-squared Adj R-squared Root MSE	= 0.0050 = 0.4450
pizza		Std. Err.			[95% Conf.	-
income age _cons	1.38443 -6.529422 243.0212	.3729702 2.352888 70.24771	3.71 -2.78 3.46	0.002 0.012 0.003	.6008481 -11.47266 95.43623	2.168011 -1.586188 390.6061

Test the null hypothesis that all three regression coefficients are the same for females and males. This is a "Chow test" that can be performed using the F test formula in Wooldridge's equation [4.37] if we have no heteroskedasticity or autocorrelation.

Hint: Note that running the regression on the full sample restricts the coefficients to be the same for males and females, while running separate regressions allows them to differ. When considering the SSR terms in equation [4.37], you must sum 40 squared residuals for each SSR.