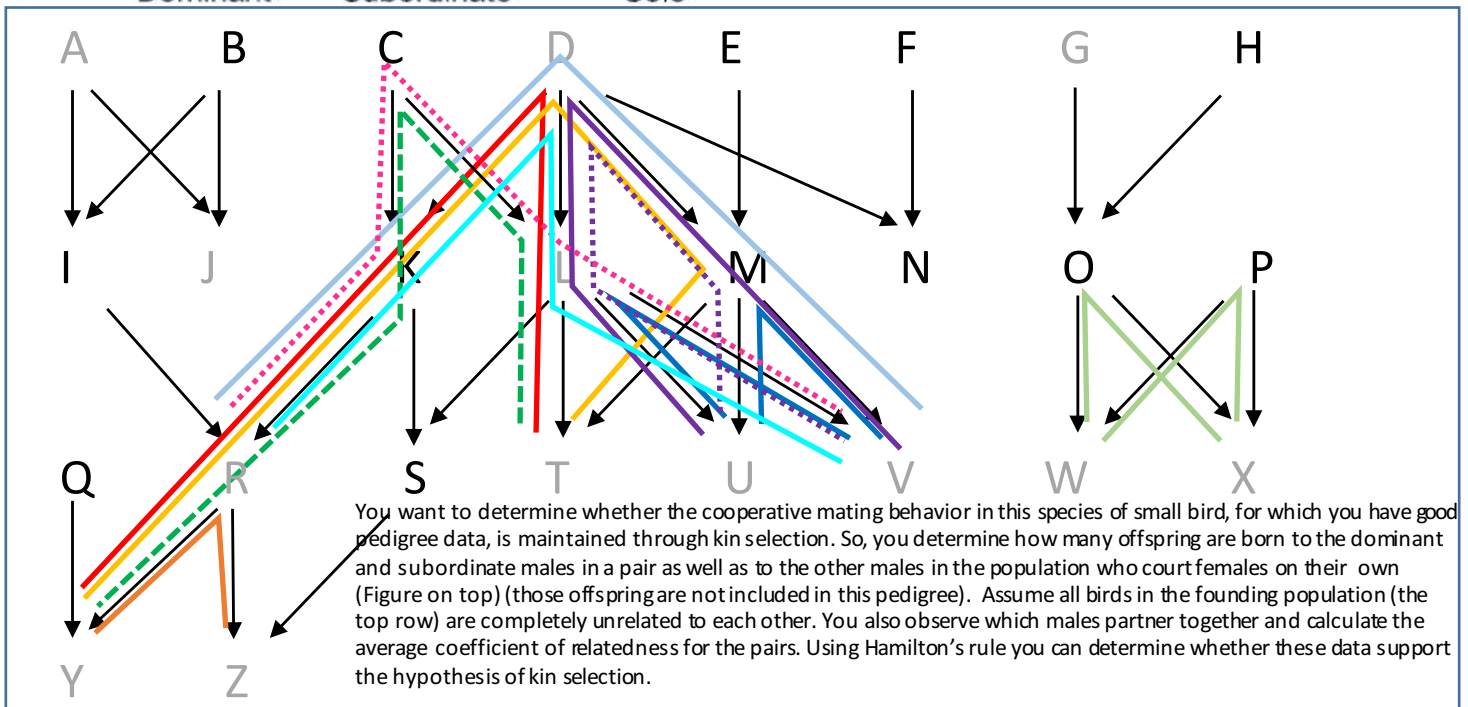


NAME _____

avg. dir. benefit to solo = 1.18 (cost when given up)
 avg. benefit to dom. = 4 - 1.18 = 2.82

net benefit = RB - C



Do your data support the hypothesis if you observe Y&Z, T&Y and U&V cooperating?

$$R_{YZ} = \frac{1}{2}^2 = 1/4 ; R_{TY} = \frac{1}{2}^5 + \frac{1}{2}^5 + \frac{1}{2}^5 = 3/32 ; R_{UV} = \frac{1}{2}^2 + \frac{1}{2}^2 + \frac{1}{2}^4 + \frac{1}{2}^4 = 5/8$$

$$R_{total} = 1/4 + 3/32 + 5/8 = 31/32 = 0.97 ; R_{avg} = 0.97/3 = 0.323$$

Relatedness X Benefit = Cost; $0.323 \times 2.82 - 1.18 = -0.268$ so costs are greater than benefit ; no support.

Do your data support the hypothesis if you observe U&Z, T&Y and R&V cooperating?

$$R_{UZ} = (\text{same as T\&Y}) = 3/32 ; R_{TY} = \frac{1}{2}^5 + \frac{1}{2}^5 + \frac{1}{2}^5 = 3/32 ; R_{RV} = \frac{1}{2}^4 + \frac{1}{2}^4 + \frac{1}{2}^4 = 3/16$$

$$R_{total} = 3/32 + 3/32 + 3/16 = 12/32 = 0.37 ; R_{avg} = 0.37/3 = 0.123$$

Relatedness X Benefit = Cost; $0.123 \times 2.82 - 1.18 = -0.83$ so costs are greater than benefit ; no support

Do your data support the hypothesis if you observe U&V, T&V, and W&X cooperating?

$$R_{UV} = \frac{1}{2}^2 + \frac{1}{2}^2 + \frac{1}{2}^4 + \frac{1}{2}^4 = 5/8 ; R_{TV} = (\text{same as UV}) = 5/8 ; R_{WX} = \frac{1}{2}^2 + \frac{1}{2}^2 = 1/2$$

$$R_{total} = 5/8 + 5/8 + 1/2 = 14/8 = 1.75 ; R_{avg} = 0.583$$

Relatedness X Benefit = Cost; $0.583 \times 2.82 - 1.18 = 0.46$; so yes, data support kin selection hypothesis

To help you, I have drawn paths connecting some of these coalitions (I did not draw them for T&V because it was getting very cluttered (I also realize I left out lines through C for RV and TY) but they are related in the same way that U&V are.) You should be able to do the math to figure this out, not just guess. I will post the key later. of course you would need a bigger dataset